

Math 2

-Test (Final)

Day 1: Thurs. } county
Day 2: Friday }

June 6th (Tuesday) → state
↳ PM w/ Sluder

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Review Packet - Math II

Quadratic Formula / Complex #'s

↳ ★ find x-intercepts/solutions for ANY Quadratic.

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

standard form = $ax^2 + bx + c$

Complex #: imaginary #

$$\sqrt{-1} = i$$

ex: Simplify $\sqrt{-40}$

$$\sqrt{40} = 2i\sqrt{10}$$

$$\sqrt{4} \quad \sqrt{10}$$

Name: _____

Inverse Variation:

Inverse formula: $y = \frac{k}{x}$, k is the Constant of Proportionality

Example: The force, F, needed to break a board varies inversely with the length, L, of the board. If it takes 24 pounds of pressure to break a board 2 feet long, how many pounds of pressure would it take to break a board that is 5 feet long?

$$y = \frac{k}{x} \quad F = \frac{48}{L}$$

$$F = \frac{k}{L} \quad F = \frac{48}{5}$$

$$24 = \frac{k}{2}$$

$$k = 48$$

$$F = 9.6$$

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Probability

$P(A \text{ or } B) = P(A) + P(B)$ if mutually exclusive

$P(A \text{ or } B) = P(A) + P(B) - P(A \cap B)$ if not mutually exclusive

$P(A \text{ and } B) = P(A) \cdot P(B)$

Mutually Exclusive:

Nothing in common with events



Independent:

After doing an event, nothing changes the next probability (ex: with replacement)
Card Deck contains

52 cards → 4 of every card
26 red → 13 hearts, 13 diamonds
26 black → 13 spades, 13 clubs

Sample Space:

List/diagram of all possible outcomes

ex: list, chart, tree diagram

Probability Distribution Table:

A table containing each possible outcome for an event + probability of each happening

ex: rolling 2 dice + looking for the probabilities of the sums

★ Know your symbols ★ (U, n, 1)

Rational Exponents

An exponent of $\frac{1}{2}$ means square root ($\sqrt{\quad}$)

An exponent of $\frac{1}{3}$ means cube root ($\sqrt[3]{\quad}$)

An exponent of $\frac{2}{5}$ means $x^{\frac{2}{5}} = \sqrt[5]{x^2} = (\sqrt[5]{x})^2$

$x^{\frac{E}{I}}$
E → exponent
I → index

To put a fractional exponent in your calculator, you must put parentheses around the fraction.

Practice: $8^{\frac{1}{3}} = (\sqrt[3]{8})^1 = (2)^1 = 2$

$64^{\frac{2}{3}} = (\sqrt[3]{64})^2 = (4)^2 = 16$

$4^{\frac{1}{2}} \cdot 4^3 =$

$\sqrt{4} \cdot 4^3 = 2 \cdot 4^3 = 128$

Exponential Growth Formula:

$$y = a(1+r)^x$$

y = new amount

a = original #/
starting #

Decay Formula:

$$y = a(1-r)^x$$

r = % rate of growth/
decay as a decimal

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Transformations

1. Rotation - Spin
 ex) 90° rotation CCW
 $f(x, y) \rightarrow (-y, x) \rightarrow$ flip x & y
 "old y" / "new x"

2. Translation - slide
 $f(x, y) \rightarrow (x \pm h, y \pm k)$
 h → left/right, k → up/down
 to the opp. sign

3. Reflection - flip
 across any line or axis.
 All points need to be equidistant from the reflection line.

4. Dilation - shrink/enlarge.
 multiply each coordinate by scale factor of s

Vocabulary/Concepts
 Pre-image: original image ΔABC
 Image: transformed image $\Delta A'B'C'$
 Scale Factor

$SF = \frac{\text{New}}{\text{old}} = \frac{\text{Big}}{\text{small}}$

Orig SF = Perim. SF
 Area SF = (Orig SF)²

Inequalities

How to graph an inequality

1. graph points
 2. solid or dashed line
 3. shade above or below

Solid = \geq, \leq
 dotted = $>, <$

Example: A rectangle is 6 cm longer than it is wide. Find the possible dimensions if the area of the rectangle is more than 216 square centimeters. Write the solution as an equation and graph it.

$\begin{matrix} & \downarrow & & \downarrow \\ & >, \geq & & <, \leq \end{matrix}$

Quadratics

Forms of a Quadratic:

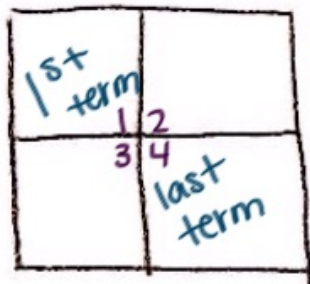
1. Standard → y-int = C-value
 $ax^2 + bx + c$

2. Factored Form → x-int: set factors equal to 0 & solve
 $k(x-a)(x-b)$
 GCF Factors

3. Vertex form → vertex: (h, k)
 $a(x-h)^2 + k$
 opp same
 ex) $2(x-3)^2 + 5$
 vertex: (3, 5)

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Factoring/Solving a Quadratic



$$\underline{\text{II}} + \underline{\text{III}} = b$$

$$\underline{\text{I}} \cdot \underline{\text{IV}} = \text{1st \cdot last term}$$

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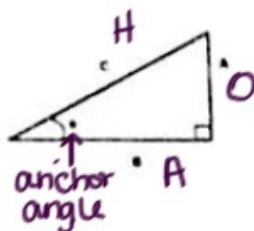
★ **Trigonometry** SOH CAH TOA

Three ratios and their meaning:

1. $\sin \theta = \frac{\text{Opposite}}{\text{hypotenuse}}$

2. $\cos \theta = \frac{\text{Adjacent}}{\text{hypotenuse}}$

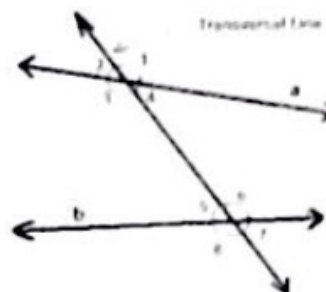
3. $\tan \theta = \frac{\text{Opposite}}{\text{adjacent}}$



Label the triangle's sides as opposite, adjacent, and hypotenuse

Name: _____

Angle relationships formed by parallel lines with a transversal:



List each pair of congruent angles shown in the diagram, assuming that lines a and b are parallel and identify their relationship (type of angle)

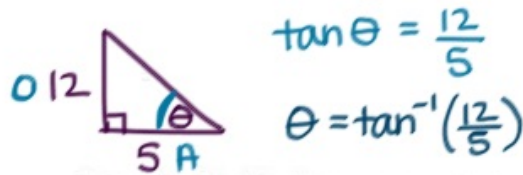
- Vertical \angle 's $\rightarrow \cong$
- Corresponding \angle 's $\rightarrow \cong$
- Alternate interior $\rightarrow \cong$
- Alternate exterior $\rightarrow \cong$
- Same Side interior $\rightarrow \text{sum } 180^\circ$
- Same Side exterior $\rightarrow \text{sum } 180^\circ$
- Linear Pairs $\rightarrow \text{sum } 180^\circ$

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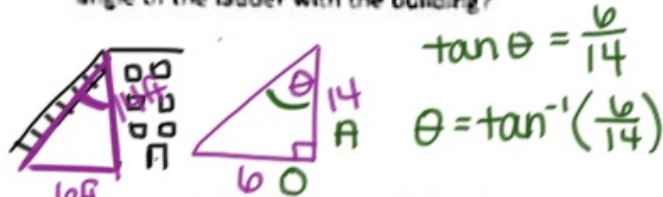


Trigonometry * mode → degrees *

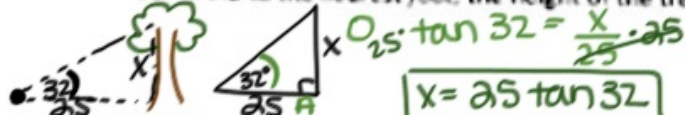
How to find an angle measure given side lengths:
* use inverse trig function (anti) *



Example: A ladder leans against a building. The foot of the ladder is 6 feet from the building. The ladder reaches a height of 14 feet on the building. What is the angle of the ladder with the building?



From a point on the ground 25 feet from the foot of a tree, the angle of elevation of the top of the tree is 32°. Find to the nearest foot, the height of the tree



Triangle Congruence

The conditions which prove two triangles are congruent:

1. SAS → Side Angle Side
2. ASA → Angle, Side, Angle
3. AAS → Angle Angle Side
4. SSS → Side Side Side



5. (Only if it is a right triangle) HL → hypotenuse leg
(look like ASS/SSA)

Similarity * scale Factors *

1. AA → Angle Angle (\cong)
2. SAS → Side Angle Side (Same SF)
3. SSS → Side Side Side (Same SF)

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Steps for Solving an Equation
(In one variable)

- 1.
- 2.
- 3.
- 4.

Functions
Key Features: → Quadratics

1. x + y intercepts
2. Continuous / discontinuous
3. Domain (x-values)
4. Range (y-values)
5. intervals increasing + decreasing
6. minimum + maximum (vertex)
7. shape

Name: _____


Solve these equations:

$12 - 3x = -4(2x + 4)$

$1/2x - 5 = 2/3(18 - 9x) + 4$

Transformations of functions:
If the parent function is $f(x) = x^2$, then identify each of the following transformations. (Tell how the graph of the new function changes from the original.)

1. $f(x) = x^2 - 2$ shift down 2
2. $f(x) = 4x^2$ stretch vertically (skinnier)
3. $f(x) = (x + 3)^2$ shift left 3
4. $f(x) = 1/3x^2$ shrink vertically (wider)
5. $f(x) = (0.3x)^2$ stretch horizontally

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Types of Functions and a graph of each:

1. Linear \rightarrow line
 $y = mx + b$



2. Quadratic \rightarrow parabola
 $y = ax^2 + bx + c$



3. Square Root
 $y = \sqrt{x}$



4. Absolute Value

$$y = |x|$$



5. Inverse Variation

$$y = \frac{k}{x}$$



X Piecewise

Vocabulary:

Domain

Range

Cube root

Discrete

Discontinuous

Continuous

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